Solar simulation research focused on space weather

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March 2 @AOSWA 3rd conference, Fukuoka

## The Sun is full of dynamic phenomena



Observed by Yohkoh

#### Various solar dynamic phenomena





- convective motion is active
- emergence of a twisted magnetic field

expansion of an emerging magnetic field

### Targets of solar simulation research







#### Formation of a sigmoid (precursor of a solar flare)



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Inverse-S sigmoidal structure obtained from an observation (Yohkoh)

Inverse-S sigmoidal structure obtained from a simulation (emerging flux tube of left-handed twist)

#### **Coronal mass ejection (filament eruption)**



**Magara** (2004)

An & Magara (2013)

# **Solar simulation research**

# focused on space weather

### Space weather model

**1**<sup>st</sup> **Step** Global force-free field reconstructed from magnetogram data (SDO or Hinode)

Target Active Region

Final Step Clarify the influence of propagating disturbances on the Moon-Earth system

3<sup>rd</sup> Step Embed flares & CMEs in the global solar wind model to reproduce disturbances

2<sup>nd</sup> Step Data-driven simulations for flares and CMEs in the target active region (preliminary result is shown below)



#### **Global** phenomena

#### To reproduce the global structure of a solar wind and interplanetary magnetic field

Domain: corona ~ interplanetary space (including terrestrial space), 3D global region

Essential ingredients: gas pressure, magnetic field, gravitational field, compressible Simulation features: fully compressive, ideal or diffusive MHD



## **SOLAR WIND MODEL** (MODIFIED FROM NAKAMIZO ET AL., 2009) **: BASIC EQUATIONS**

$$\frac{\partial \rho}{\partial t} + \boldsymbol{\nabla} \cdot (\rho \boldsymbol{V}) = 0, \tag{1}$$

$$\frac{\partial(\rho \mathbf{V})}{\partial t} + \nabla \cdot \left( \rho \mathbf{V} \mathbf{V} + p\mathbf{I} + \frac{B^2 - B_0^2}{2\mu_0} \mathbf{I} - \frac{\mathbf{B}\mathbf{B} - \mathbf{B}_0 \mathbf{B}_0}{\mu_0} \right)$$
$$= -\rho \frac{GM_s}{r^2} \hat{\mathbf{r}} - 2\rho \mathbf{\Omega} \times \mathbf{r} - \rho \mathbf{\Omega} \times (\mathbf{\Omega} \times \mathbf{r}), \tag{2}$$

$$\frac{\partial \boldsymbol{B}_1}{\partial t} + \boldsymbol{\nabla} \times (\boldsymbol{V} \times \boldsymbol{B}) = 0, \tag{3}$$

$$\frac{\partial U_1}{\partial t} + \nabla \cdot \left[ \boldsymbol{V} \cdot \left( U_1 + p + \frac{B_1^2}{2\mu_0} \right) - \frac{\boldsymbol{B}_1 (\boldsymbol{V} \cdot \boldsymbol{B}_1)}{\mu_0} - \frac{\boldsymbol{B}_0 (\boldsymbol{V} \cdot \boldsymbol{B}_1)}{\mu_0} + \frac{\boldsymbol{V} (\boldsymbol{B}_1 \cdot \boldsymbol{B}_0)}{\mu_0} \right]$$
$$= \rho \boldsymbol{V} \cdot \left( -\frac{GM_s}{r^2} \hat{\boldsymbol{r}} \right) - \rho \boldsymbol{V} \cdot [\boldsymbol{\Omega} \times (\boldsymbol{\Omega} \times \boldsymbol{r})], \tag{4}$$

$$J_1 = \frac{\rho v^2}{2} + \frac{p}{\gamma - 1} + \frac{B_1^2}{2\mu_0},$$
 (5)

$$\boldsymbol{B}_{1}\left(\boldsymbol{r},t\right) \equiv \boldsymbol{B}\left(\boldsymbol{r},t\right) - \boldsymbol{B}_{0}\left(\boldsymbol{r}\right) \qquad \gamma = \frac{5}{3}$$

#### Key factor in a modeling of global phenomena => grid system



## **SOLAR WIND MODEL : GRID SYSTEM**



Unstructured grid system (triangle grid)

→ Avoid the singularity at the north and south poles and therefore relax tight Courant –Friedrichs-Lewy (CFL) conditions around the poles, both of which would arise in the spherical coordinate system (Tanaka, 1994)

### **BOUNDARY & INITIAL CONDITIONS**

Calculation domain	50Rs ~ 300Rs
Inner boundary condition (50Rs)	MHD-IPS tomography data during 1 Solar rotation (Hayashi et al., 2003) : velocity (v), density (n(v)), pressure (p(v)), magnetic field (based on PFSS)
Outer boundary condition (300Rs)	Same as Nakamizo et al., 2009
Initial condition	Density, pressure : decreases with 1/r^2 Vr : 400 km/s (other components are 0) Magnetic field : Extrapolated from PFSS



## **RESULT : Background solar wind** (CR2142, solar maximum)



### **CME MODEL**

- Simple spheromak type CME model
- Gibson and Fan (2008) discuss that this type of CME may be produced by magnetic reconnection
- Basic equation

$$B_r = 2B_0 \frac{j_1(\alpha r)}{\alpha r} \cos(\theta) \tag{1}$$

$$B_{\theta} = -\frac{B_0}{\alpha} (i_1(\alpha r) + \alpha r i_1'(\alpha r)) \sin(\theta) \tag{2}$$

$$ar 01(\alpha r) + \alpha r j_1(\alpha r) \sin(\theta)$$

$$B_{\phi} = B_0 j_1(\alpha r) \sin(\theta)$$
(3)

where, 
$$j_1(x) = \frac{\sin(x) - x\cos(x)}{x^2}$$
,  $j'_1 = \frac{2x\cos(x) + (x^2 - 2)\sin(x)}{x^3}$   
and  $\alpha = 4.493409458a^{-1}$  to have a value  $B_r = 0$  at r=a.

(Kataoka et al., 2009)



# **Injection of an ICME**

an ICME is injected gradually through the inner boundary



 $\rightarrow$  This is done by introducing a time-dependent inner boundary condition

### How to inject a spheromak through I.B.



- r<sub>c</sub>= r<sub>0</sub>+v\*t → known (if v is assumed)
- Q(r) : A certain physical variable as a function r → Known (predetermined by some assumptions)
- From the condition |r<sub>B</sub>| = 50Rs and |r| = CME radius, we can obtain r(r<sub>B</sub>) at each time step
- At each time step, Q(r<sub>B</sub>(t)) is determined
- $\mathbf{r}_{\mathbf{B}}$ : Vector from the Sun to the crossing boundary (purple colored)
- $\mathbf{r}_{c}$ : Vector from the Sun to the CME center
- **r** : Vector from the CME center to the end point of  $\mathbf{r}_{B}$  vector ( $\mathbf{r} = \mathbf{r}_{B} \mathbf{r}_{c}$ )

### RESULT



## **KEY PARAMETERS**

#### Parameters for a spheromak type ICME model

- Magnetic field strength :
- Orientation of a spheromak :
- Twistness :
- Density :
- Pressure :
- (radial) Velocity :
- Propagation direction :
- Initial position :
- CME radius :
- Injection speed (function of v(t)) :

- Magnetic field strength : Typical amount of magnetic flux 2.55 x 10^21 Mx (Kataoka et al. 2009, Shiota et al. 2010), magnetic field observation at a photospheric footpoint of an ICME etc.
- Orientation of a spheromak : Magnetic Field observation
- Twistness : Vector magnetogram + NLFF modeling, etc.
- Density : 2 x background solar wind density, etc.
- Pressure : 4 x background solar wind pressure, etc.
- (radial) Velocity : From average transit time from the Sun to the Earth, etc.
- Propagation direction : CME cone model (LASCO C3), etc.
- Initial position : By assuming radial propagation direction, etc.
- CME radius : CME cone model, free parameter, etc.
- Injection speed (function of v(t)) : By assuming from averaged transit time from the Sun to the Earth, etc.

## **SUMMARY & DISCUSSION**

- We developed 3-D MHD code to reproduce the structure of a solar wind, the propagation of an ICME.
- By using IPS data to derive the background steady solar wind, we can perform a more realistic data-driven simulation.
- We can investigate an ICME event by introducing a timedependent boundary condition into a TVD scheme with an unstructured grid system.
- However, since there are many ambiguities and uncertainties in determining initial parameters of an ICME model, much more efforts are needed to derive realistic ICME properties.